

Unit 1 Function Warm Up

1. Given $g(x)$ to the right:

a) State the domain of $g(x)$.

$(-\infty, 8]$

b) State the range of $g(x)$.

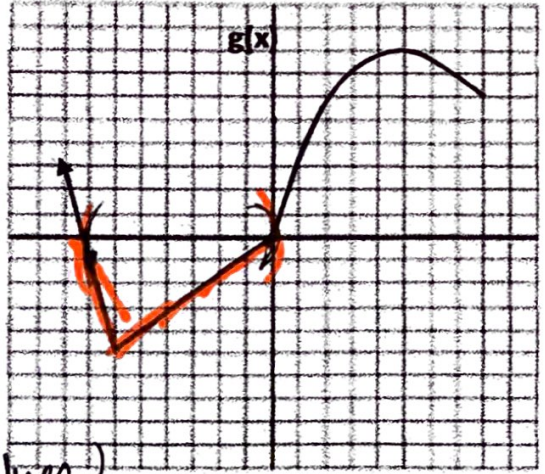
$[-5, \infty)$

c) $g(-7) = \frac{x}{y} = \frac{-1}{-1} = 1$ $g(0) = \frac{0}{0} = 0$

d) $g(5) = \frac{5}{1} = 5$ $g(-6) = \frac{-6}{-1} = 6$

e) $g(2) + g(-4) = 2 + 1 = 3$

f) For what values is $g(x) \leq 0$? You may approximate here.
 $y \leq 0 \rightarrow$ negative y -values



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g) $g(1)$ and $g(-8) = 3$

$[-7, 0]$

h) Is $g(x)$ a one to one function? no

Explain why or why not.

it does not pass horiz. line test

2. Given $h(x)$ to the right:

a) State the domain of $h(x)$? $[-5, 6]$

b) State the range of $h(x)$? $[-2, 2]$

c) State the steps needed to graph $3h(x-4)$

vertical stretch by 3
Next graph it. right 4

What is the domain of this "child" of $h(x)$?

$[-1, 10]$

What is the range of this "child" of $h(x)$?

$[-6, 6]$

d) State the steps needed to graph $-\frac{1}{2}h(x)-5$

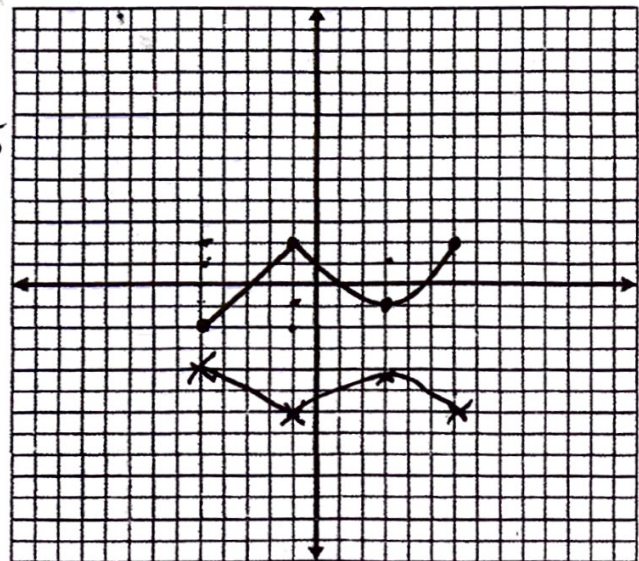
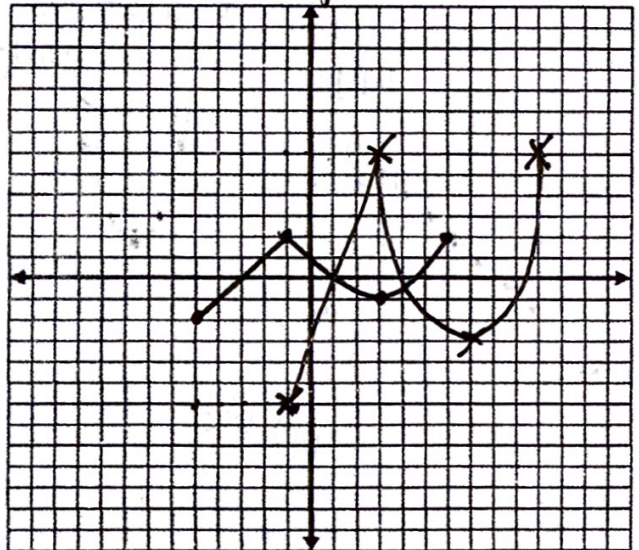
reflection over x -axis
vertical compression by $\frac{1}{2}$
Next graph it on the second graph. down 5

What is the domain of this "child" of $h(x)$?

$[-5, 6]$

What is the range of this "child" of $h(x)$?

$[-6, -4]$



Function/Graph Transformation Quiz Review

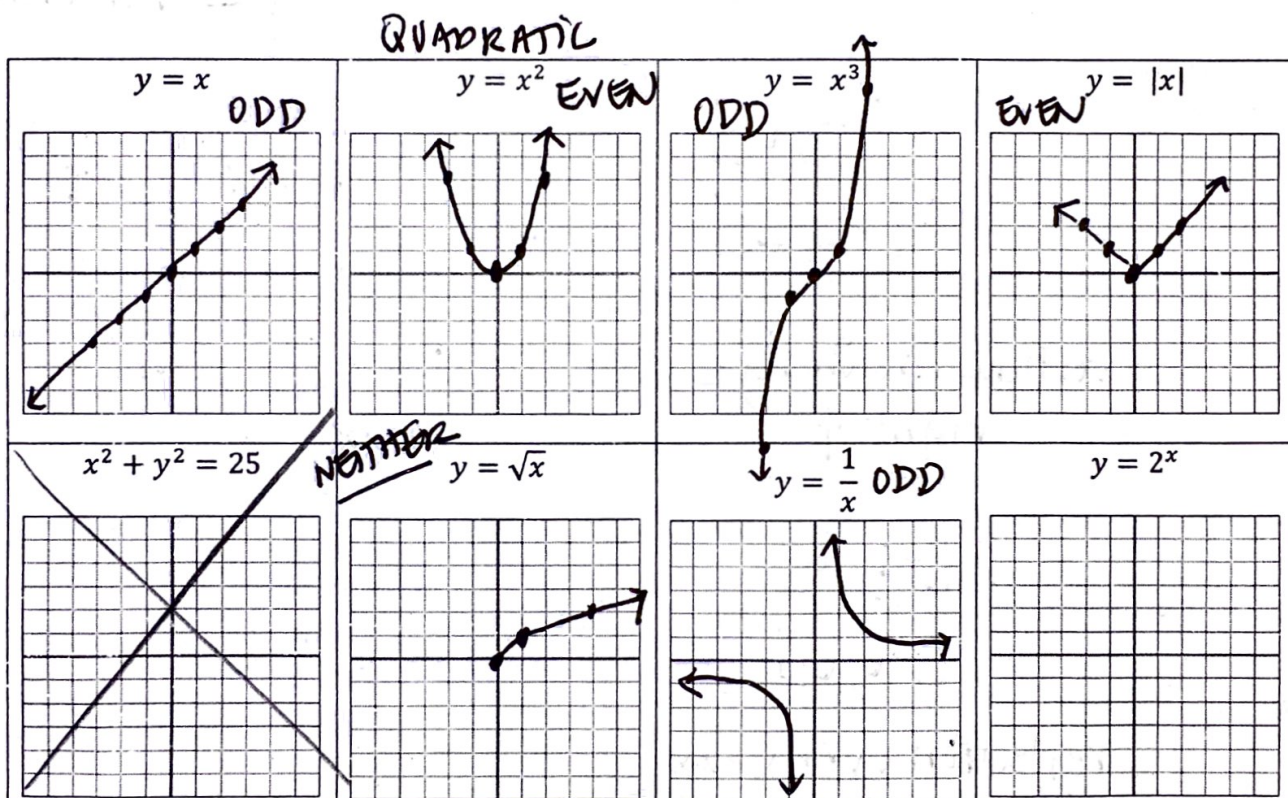
Students Will Be Able To:

- Recognize the basic graphs including: $y = x$, $y = x^2$, $y = x^3$, $y = |x|$, $x^2 + y^2 = 1$, $y = 2^x$, $y = \sqrt{x}$, and $y = \frac{1}{x}$.
- Translate basic graphs up down, left and right and determine the resultant equation.
- Reflect basic graphs over the x-axis or the y-axis.
- Dilate (stretch or shrink) graphs by a given factor.
- Compose multiple transformations.

EVEN - symmetric with y-axis

ODD - symmetric with origin

Basic Graphs: Sketch each of the basic graphs below. Show at least 3, preferably 5 specific points.



Reference Information

Translations of $y = f(x)$: (Assume that a is a positive number.)

$y + a = f(x)$ OR $y = f(x) - a$	Results in the graph shifting down a units
$y - a = f(x)$ OR $y = f(x) + a$	Results in the graph shifting up a units
$y = f(x + a)$	Results in the graph shifting left a units
$y = f(x - a)$	Results in the graph shifting right a units

Reflections of $y = f(x)$:

$y = -f(x)$	Results in the graph reflecting over the x-axis
$y = f(-x)$	Results in the graph reflecting over the y-axis

Scalings of $y = f(x)$:

$y = af(x)$ OR $\frac{y}{a} = f(x)$	Results in the graph becoming a times as tall
$y = \frac{1}{a}f(x)$ OR $ay = f(x)$	Results in the graph becoming $\frac{1}{a}$ times as tall
$y = f(ax)$	Results in the graph becoming $\frac{1}{a}$ times as wide
$y = f\left(\frac{1}{a}x\right)$	Results in the graph becoming a times as wide

Unit 1 Transformational Graphing of Parent Functions

1. Graph the function $y = |x|$ with each of these functions using transformational graphing.

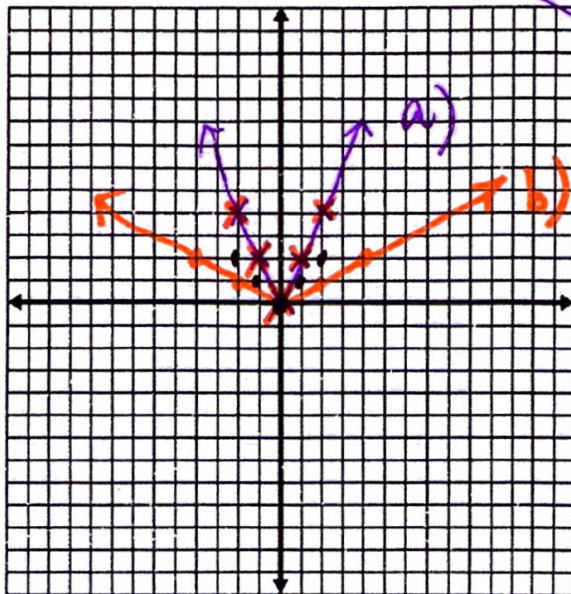
a. $y = 2|x|$

b. $y = \left|\frac{x}{2}\right|$

c. $y = 2\left|\frac{x}{2}\right|$

Which of the functions a-c is identical to the parent? How do the other two compare? Was this what you expected?

a) vertical stretch by 2



b) $y = \left|\frac{x}{2}\right|$
 $\frac{1}{2}$ flip $\rightarrow 2 > 1$ horizontal stretch by 2 (x values $\times 2$)

2. List the steps needed in the correct order to graph the following.

a. $f(x-3) + 4$

b. $\frac{1}{2}f(x-3) + 7$

c. $-3f\left(\frac{2x-4}{2}\right)$

d. $\frac{1}{2}f(3x-12)$

right 3
up 4

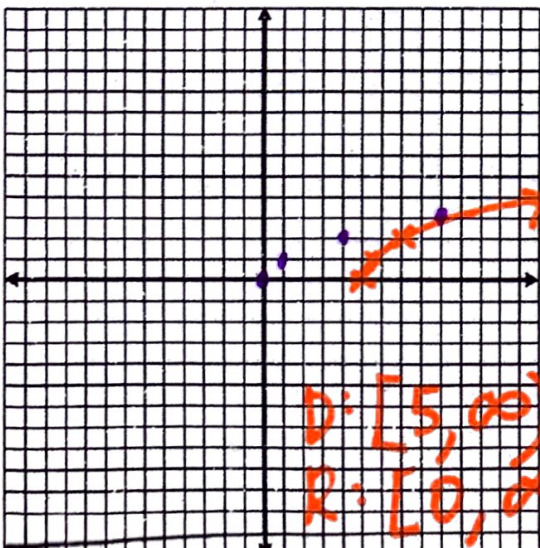
vertical compression by $\frac{1}{2}$
right 3
up 7

$2 \rightarrow \frac{1}{2} < 1$ h. comp.
 $-3f\left(2\left(\frac{x-2}{2}\right)\right)$
 reflection over x-axis
 vertical stretch by 3
 horiz. comp. by $\frac{1}{2}$ right 2
 $\frac{1}{2}f(3(x-4))$
 vert. comp. $\frac{1}{2}$
 horiz. comp. $\frac{1}{3}$
 right 4

3. Using the toolkit of functions, graph the following. Then state the domain and range of each.

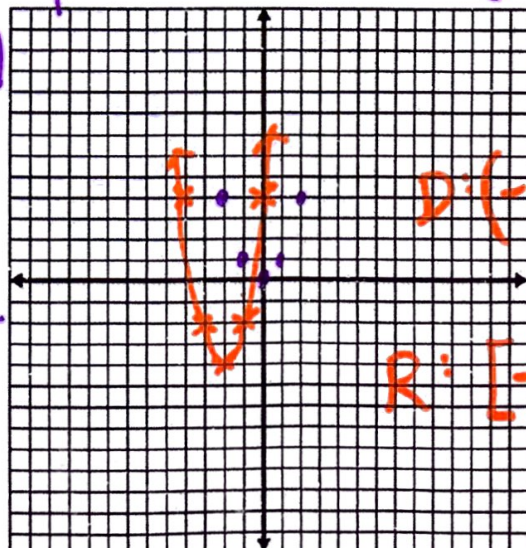
a. $f(x) = \frac{\sqrt{2x-10}}{2} = \sqrt{\frac{2(x-5)}{2}}$ $y = \sqrt{x}$

b. $g(x) = 2(x+2)^2 - 4$ $y = x^2$
 -vert. stretch by 2



$2 \rightarrow \frac{1}{2} < 1$
 horiz. comp. $\frac{1}{2}$
 right 5

D: $[5, \infty)$
 R: $[0, \infty)$



-left 2
 -down 4
 D: $(-\infty, \infty)$
 R: $[-4, \infty)$